

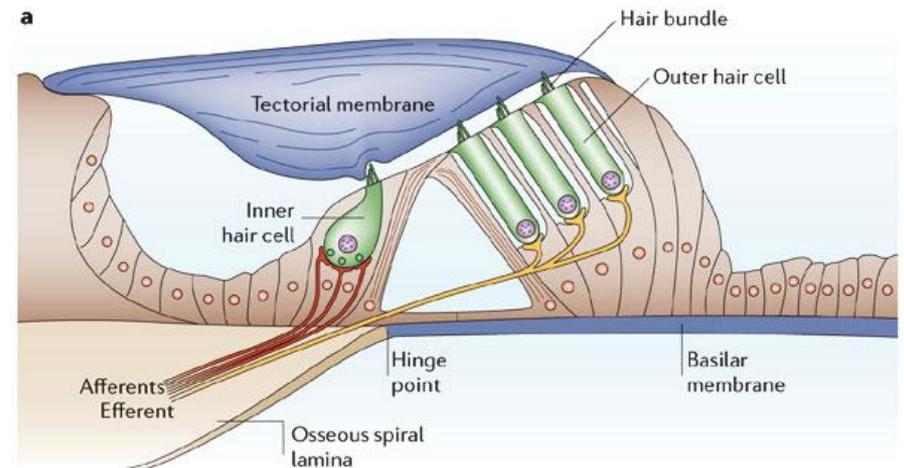
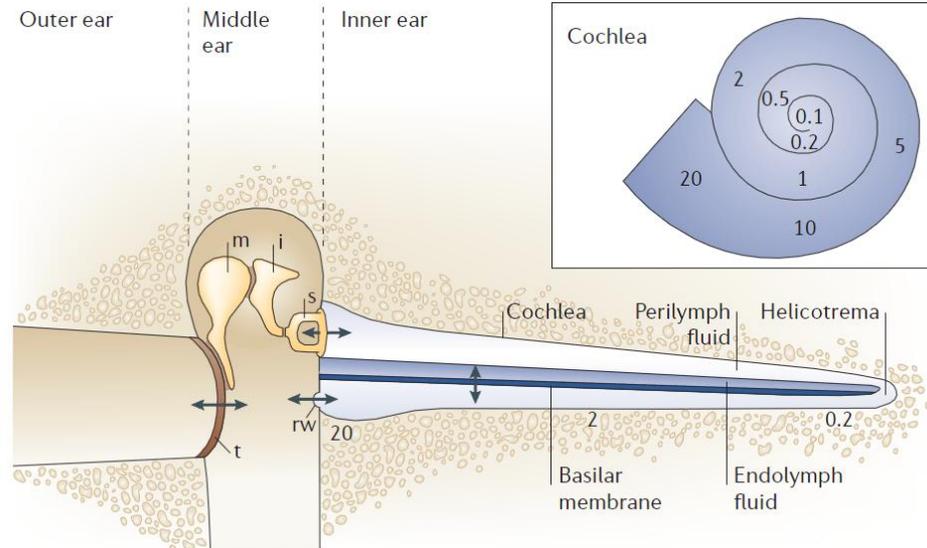
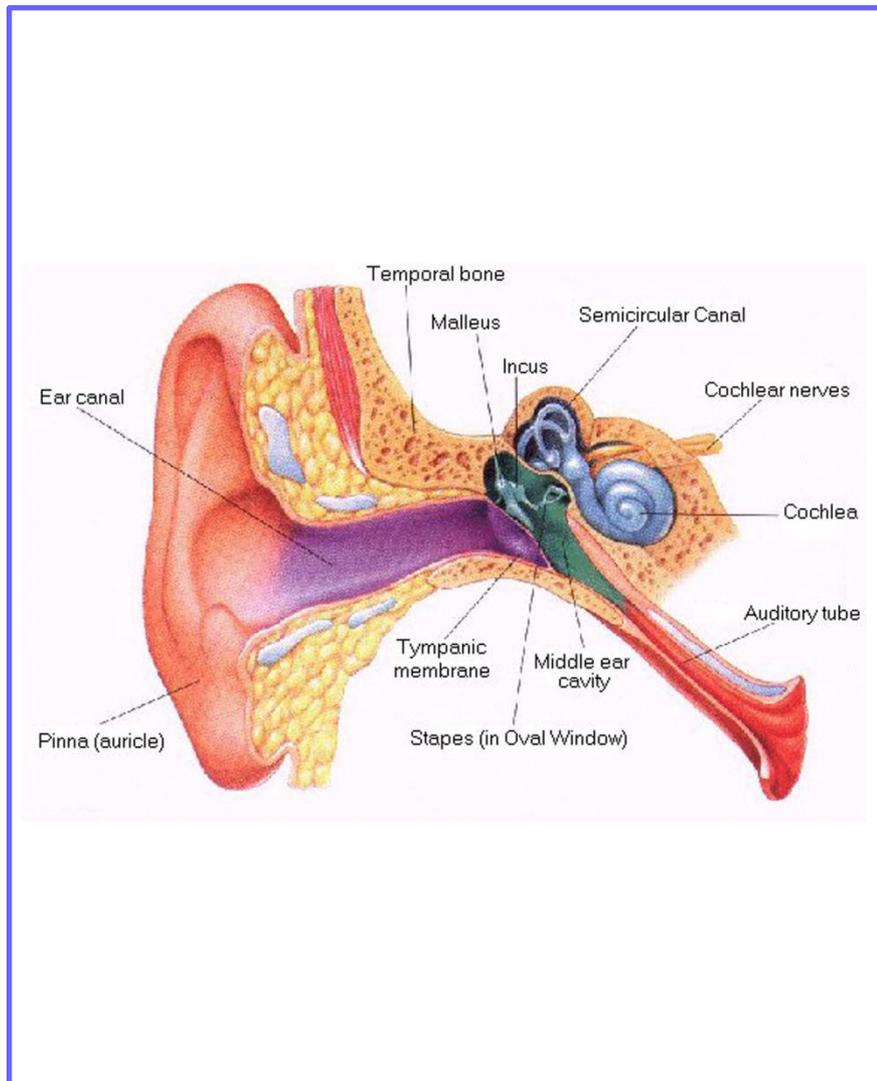
A single compartment model of intrinsic hair  
cell tuning to low-frequency stimuli.

# Outline

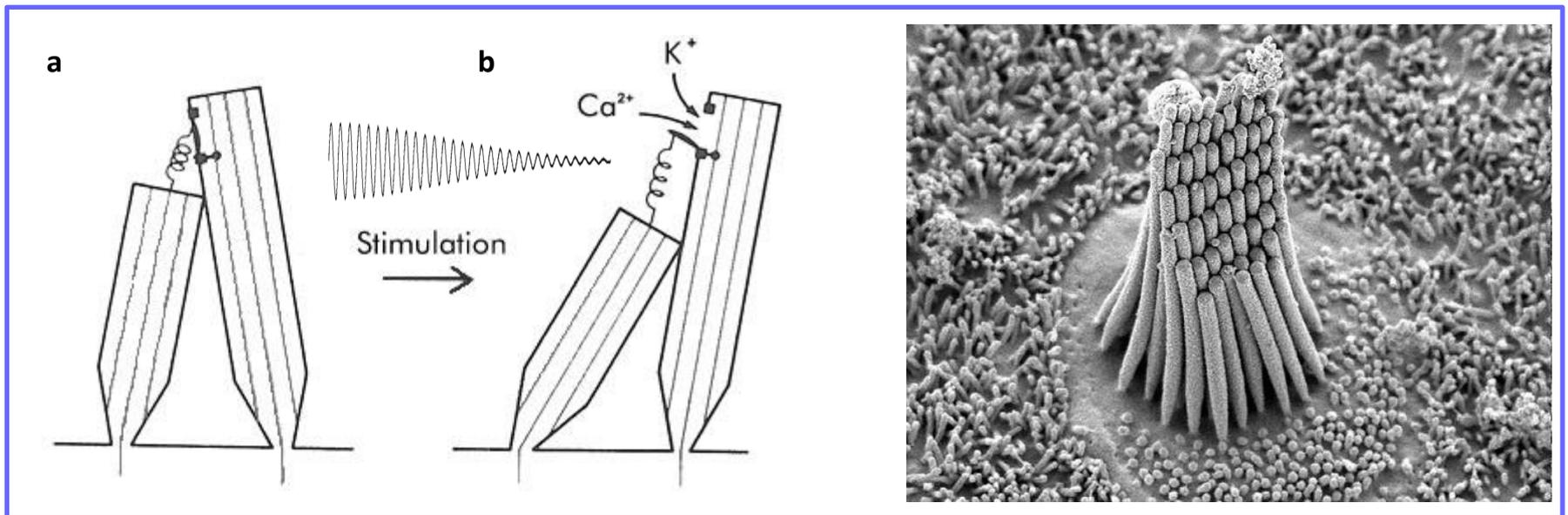
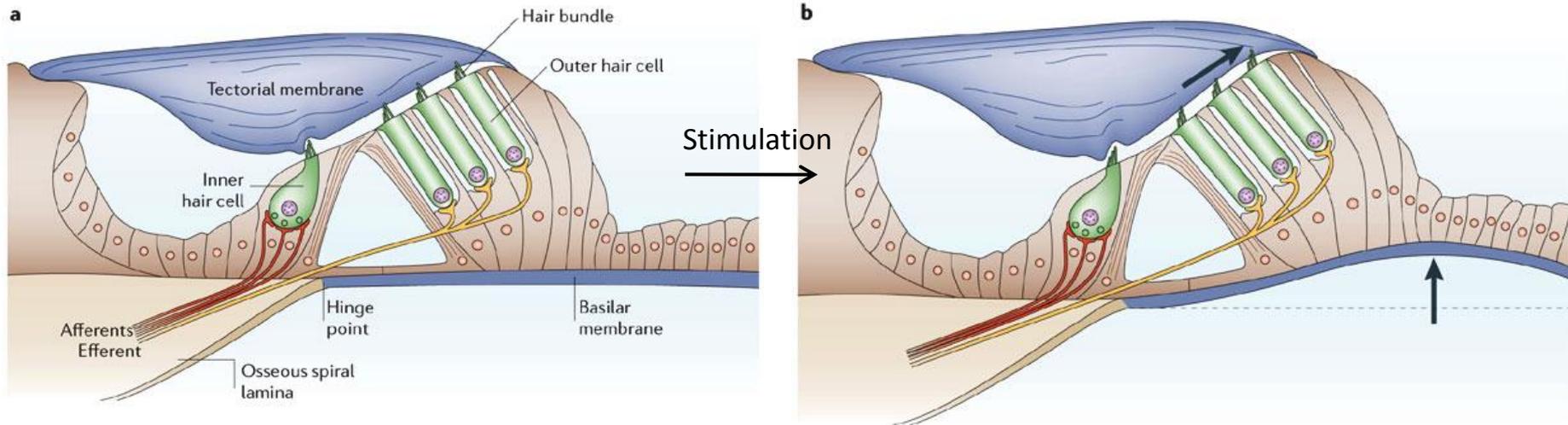
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- Modeling Hair Cells – Why?
  - Biological Design & Structural Limitations
- Experimental Objectives
  - Model Design
- Experimental Results
  - Good, Bad & Ugly
- Conclusions and future directions

# Hair cell tuning in the mammalian cochlea

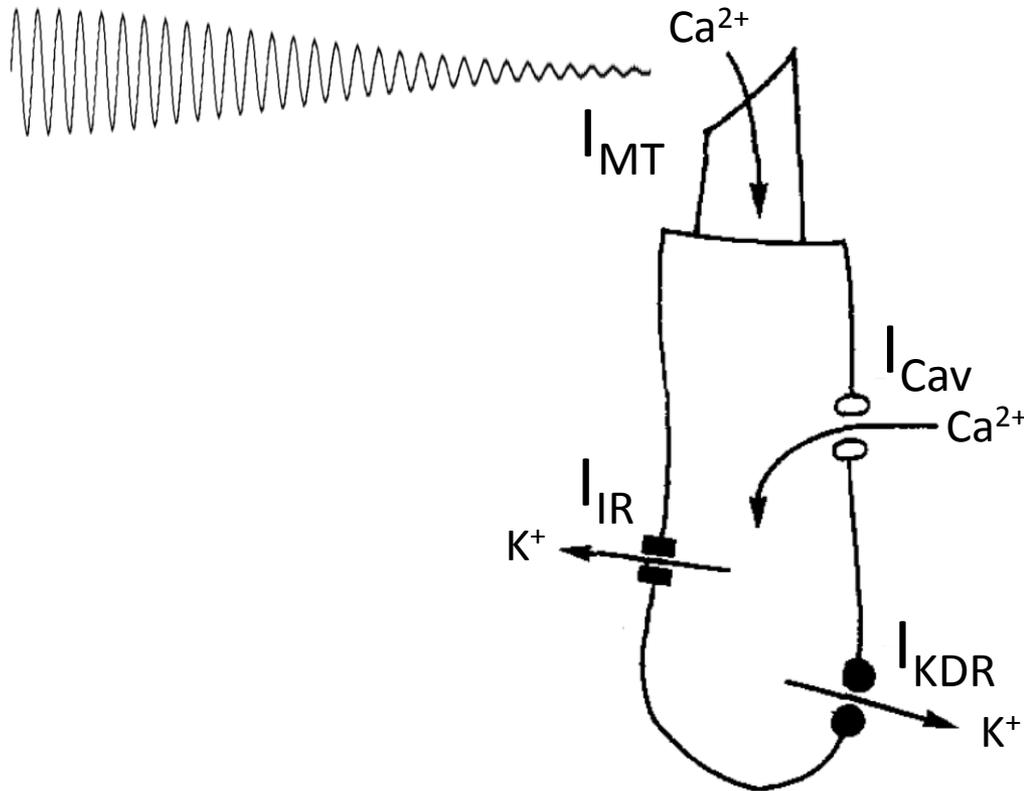


# Hair cell tuning in the mammalian cochlea



# Biophysical mechanism of intrinsic tuning in nonmammals

Hair cell bundle height and density don't explain diversity of sensitivity at low frequencies ... intrinsic oscillations?



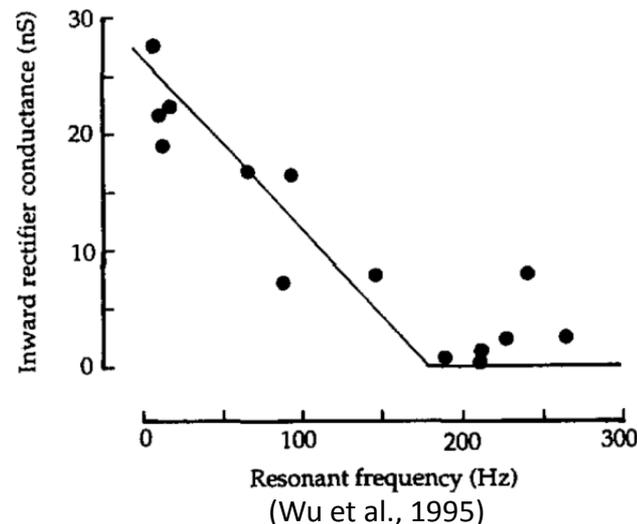
(Wu et al., 1995)

# Experimental objectives

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## Expected Results

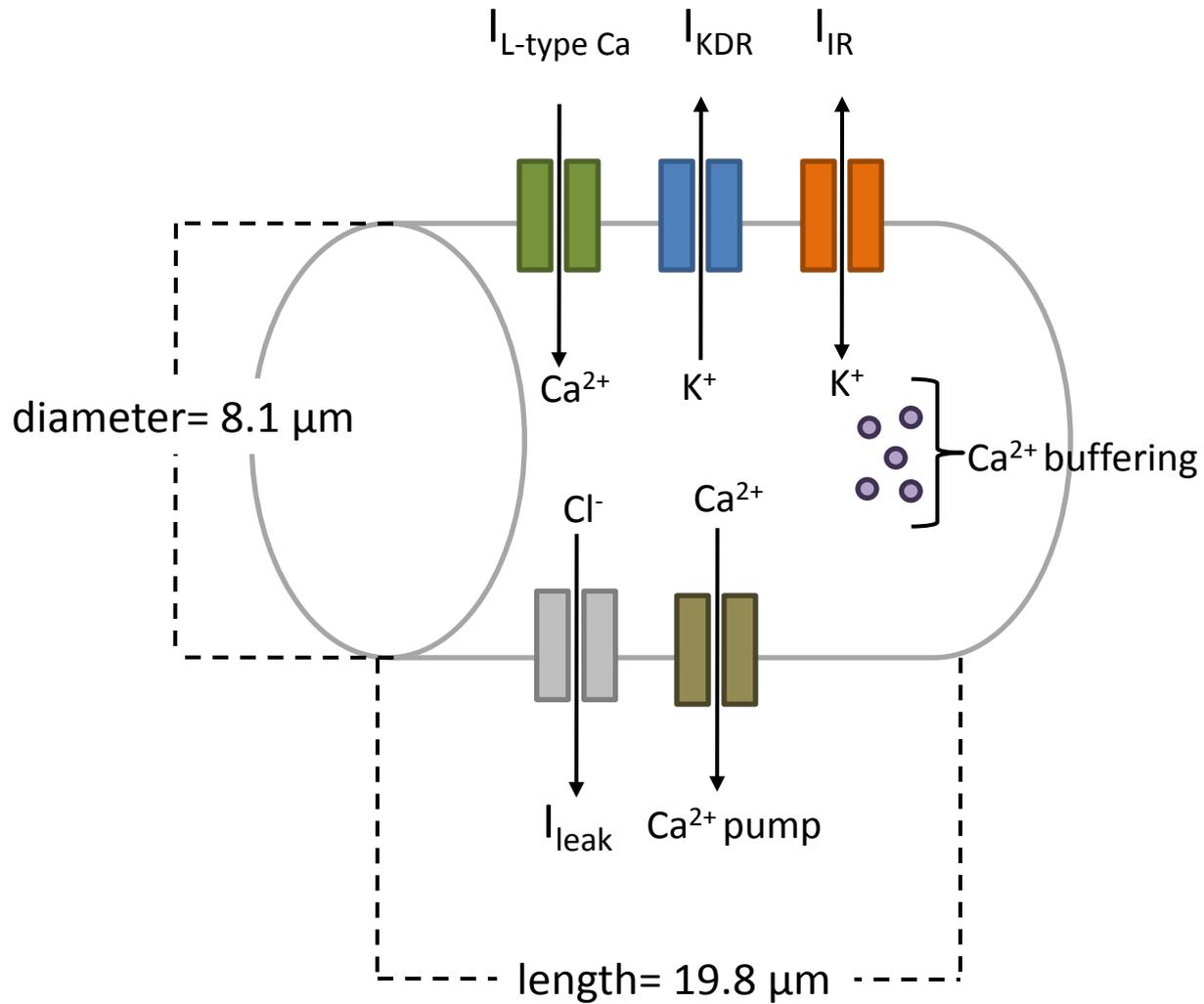
- Passive properties of hair cells match empirical data ( $R_m$ ,  $V_{rest}$ , capacitance, size, ...)
- Accurately model ionic currents
- Resonance and/or spiking in response to static current clamp
- As gIR increases, firing rate decreases.



## Additional questions

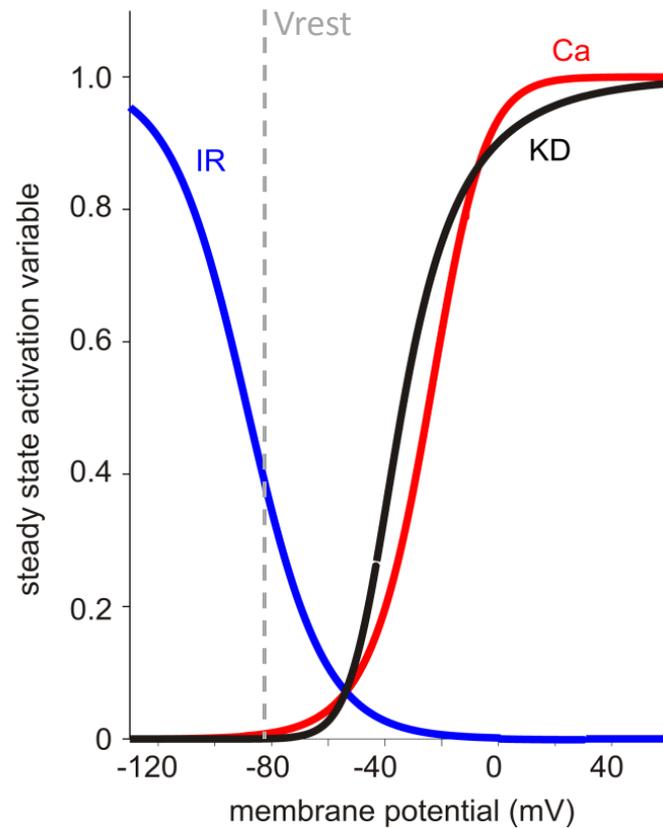
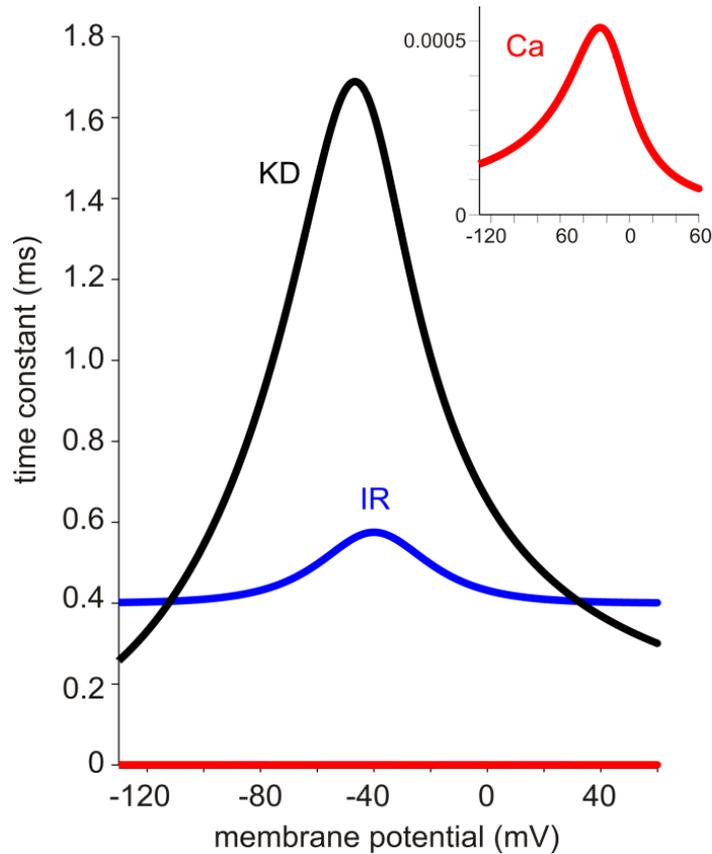
- How does firing rate depend on frequency and amplitude of current injection (for cells with different gIR)
- Can the firing rate of a cell be predicted from the frequency and amplitude of current input?
- How does the model respond to a complex current input?

# Hair Cell Model



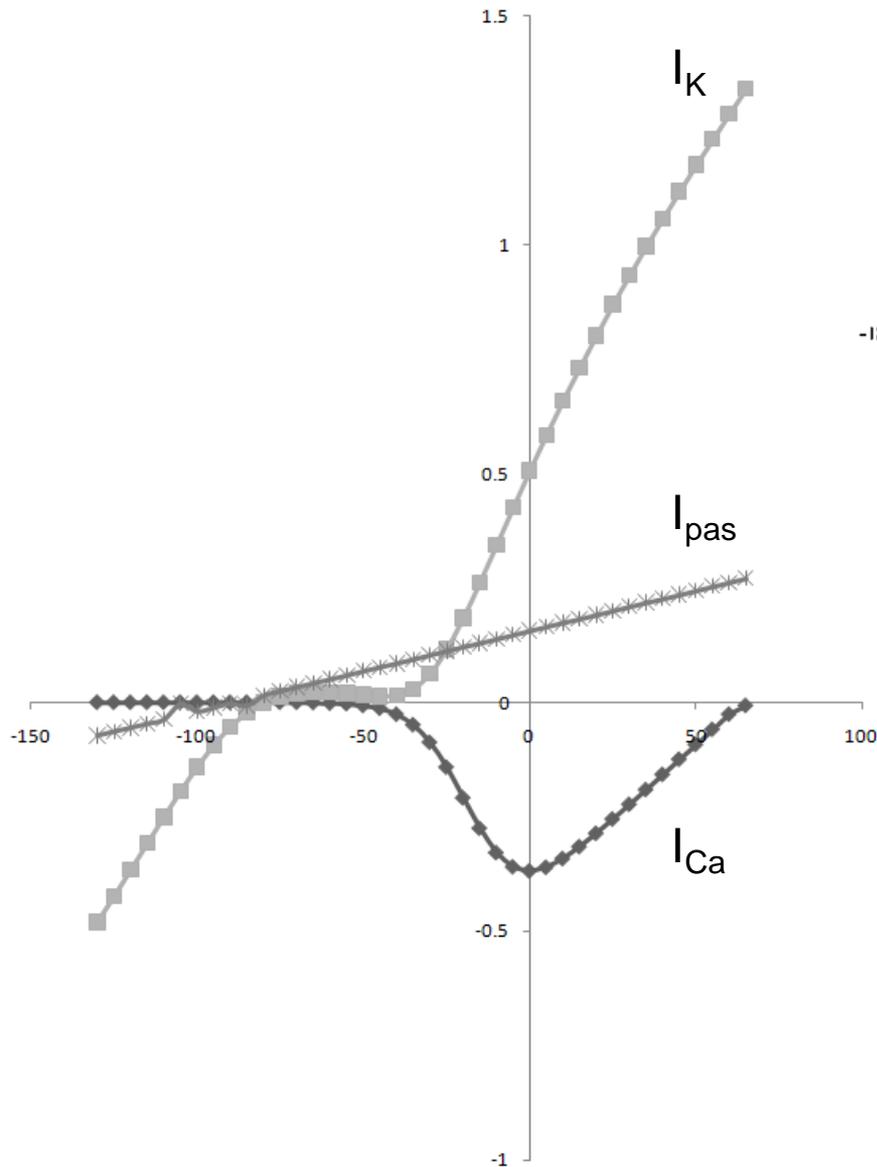
# Steady state activation curves of $I_{KD}$ , $I_{IR}$ , and $I_{Ca}$

( $I_{Ca}$  model based on Zidanic and Fuchs, 1995;  $I_{IR}$  based on Goodman and Art, 1996)

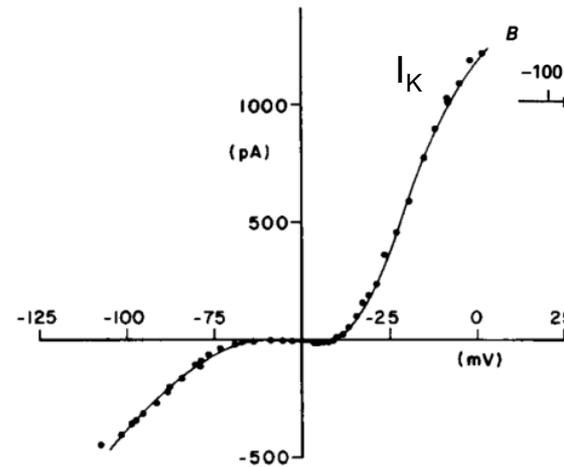


IR and Ca are both modeled on experimental observation of hair cells

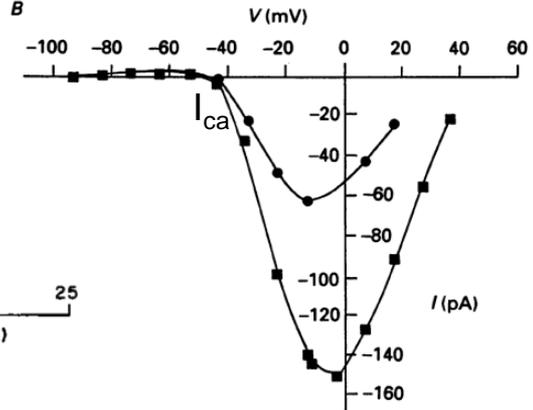
# Are current-voltage properties comparable with empirical data?



(Fuchs et al., 1988)



(Fuchs et al., 1990)

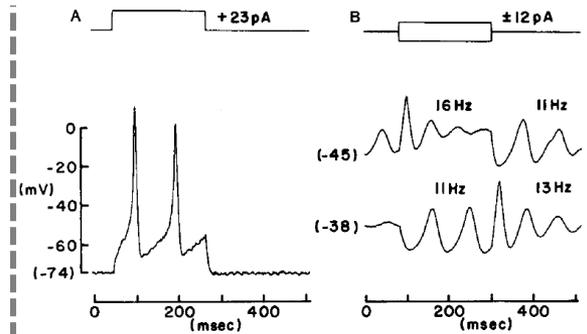
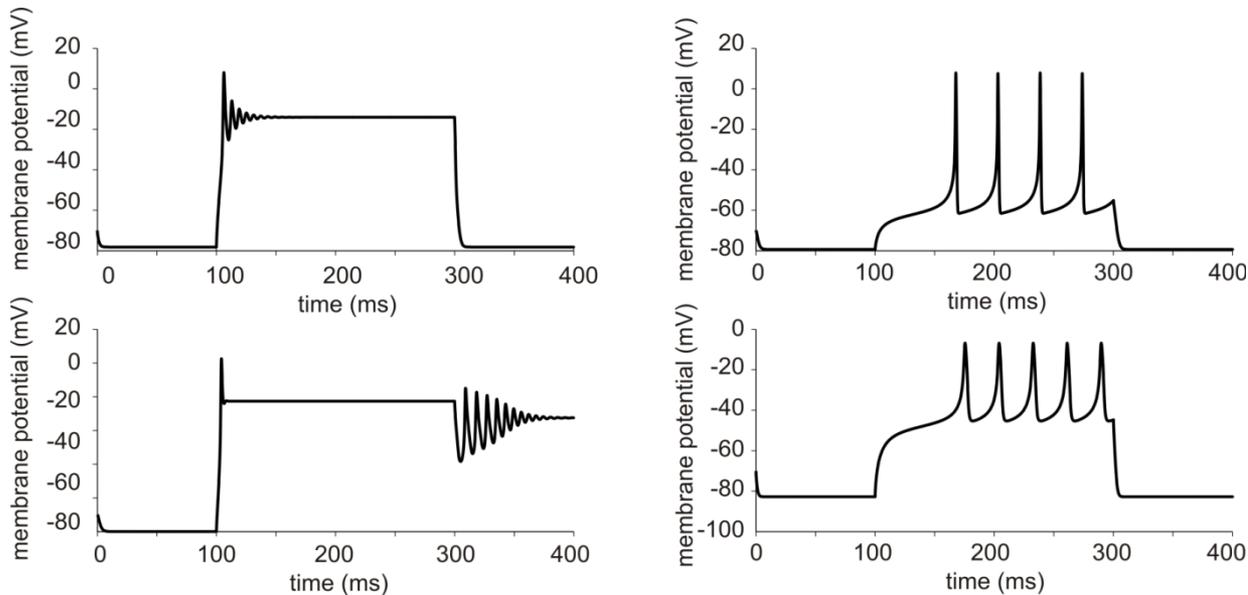


	Model	Experimental
Length x width ( $\mu\text{m}$ )	19.8 x 8.1	19.8 x 8.1
Resting potential (mV)	-82	-78
Thresh. Potential (mV)	-53	-60 (?)
Capacitance (pF)	5.8	6.4
Input resistance ( $\text{M}\Omega$ )	<b>119</b>	<b>26 (?)</b>

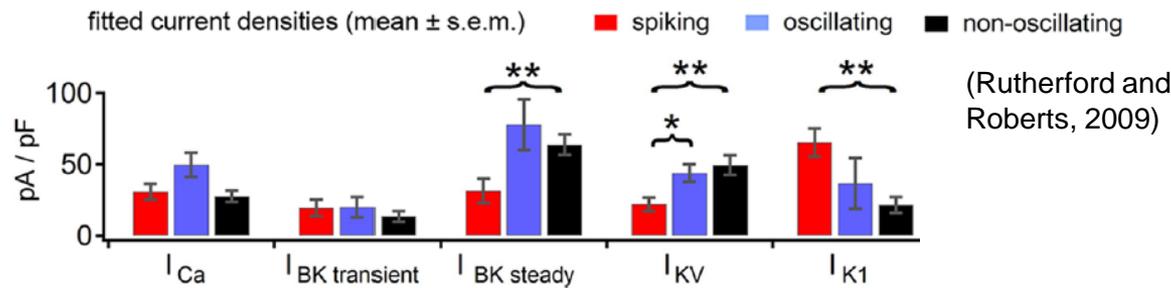
Model membrane properties and IV curves are a good match with experimental observations.

Why the disparity in  $\text{Ca}^{2+}$  current? resistance?

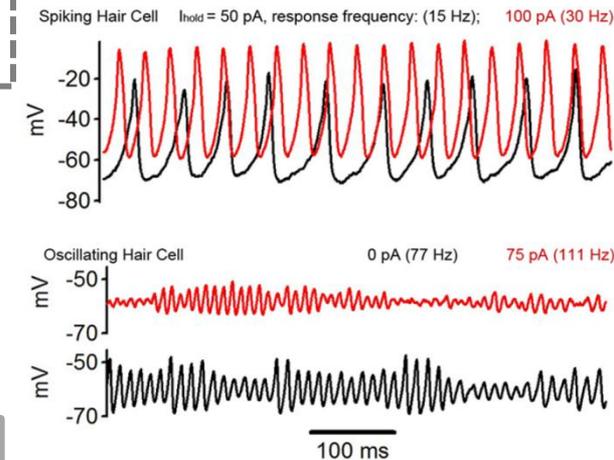
# What types of responses do we see?



(Fuchs et al., 1988)



(Rutherford and Roberts, 2009)



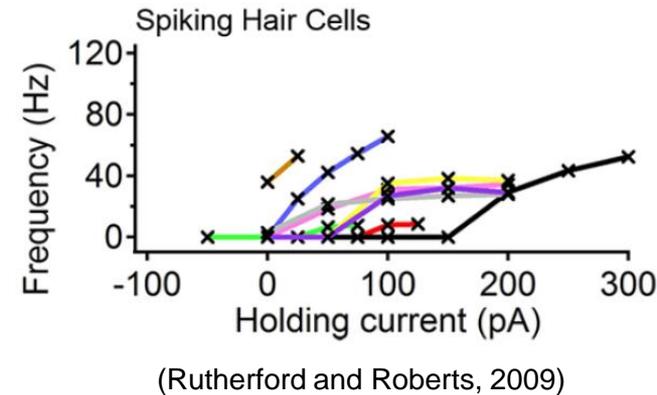
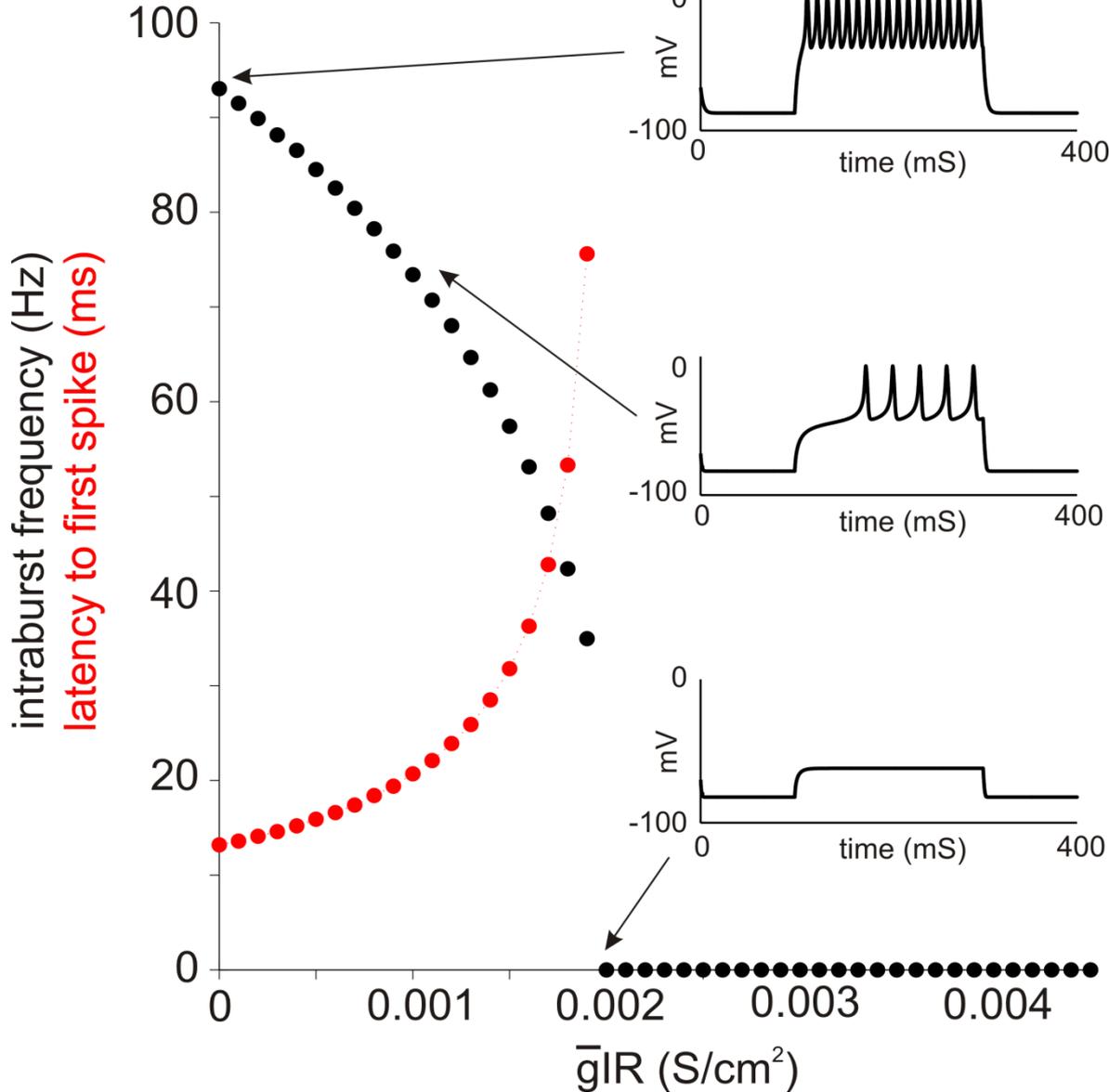
(Rutherford and Roberts, 2009)

We see both resonance and spiking in different cells, which matches experimental observations.

Passive conductance level influences probability of spiking

# Does firing rate vary with g<sub>IR</sub> for a **static** current clamp?

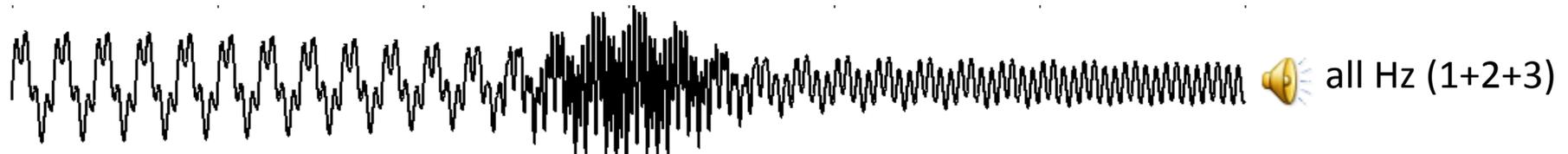
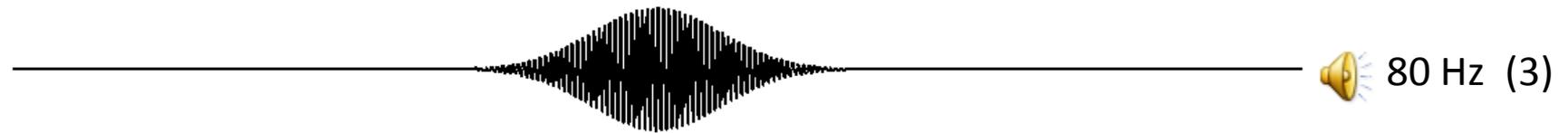
Holding current = 80 pA



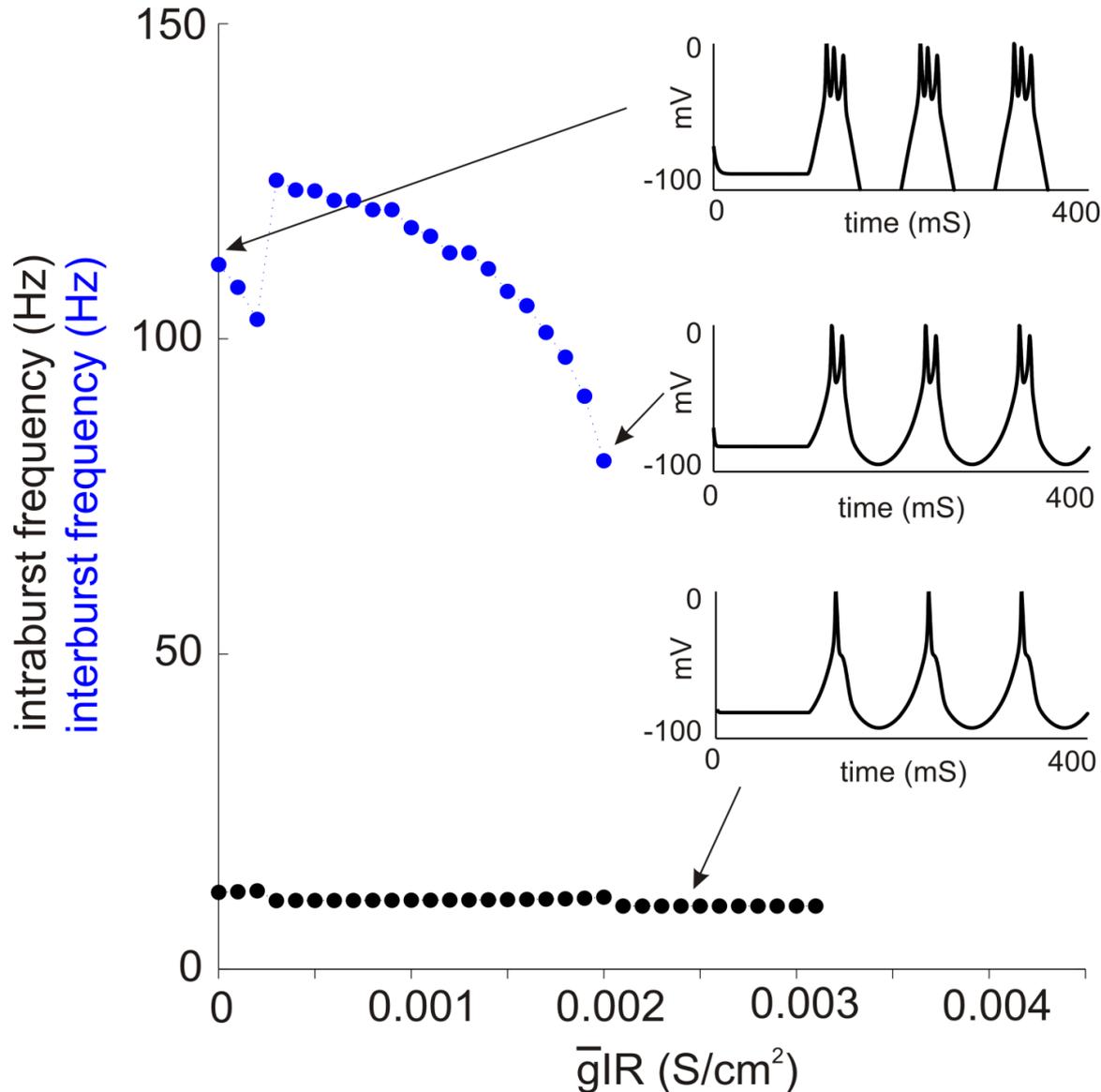
Cells with greater g<sub>IR</sub> have lower firing rates.

# Describing a sound as a sum of sine waves

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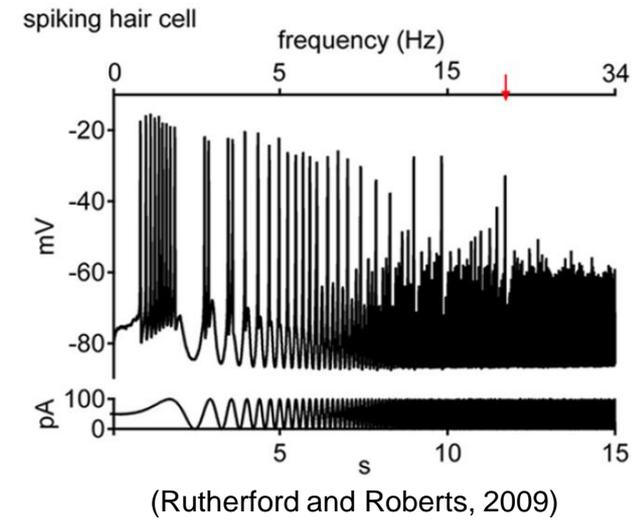
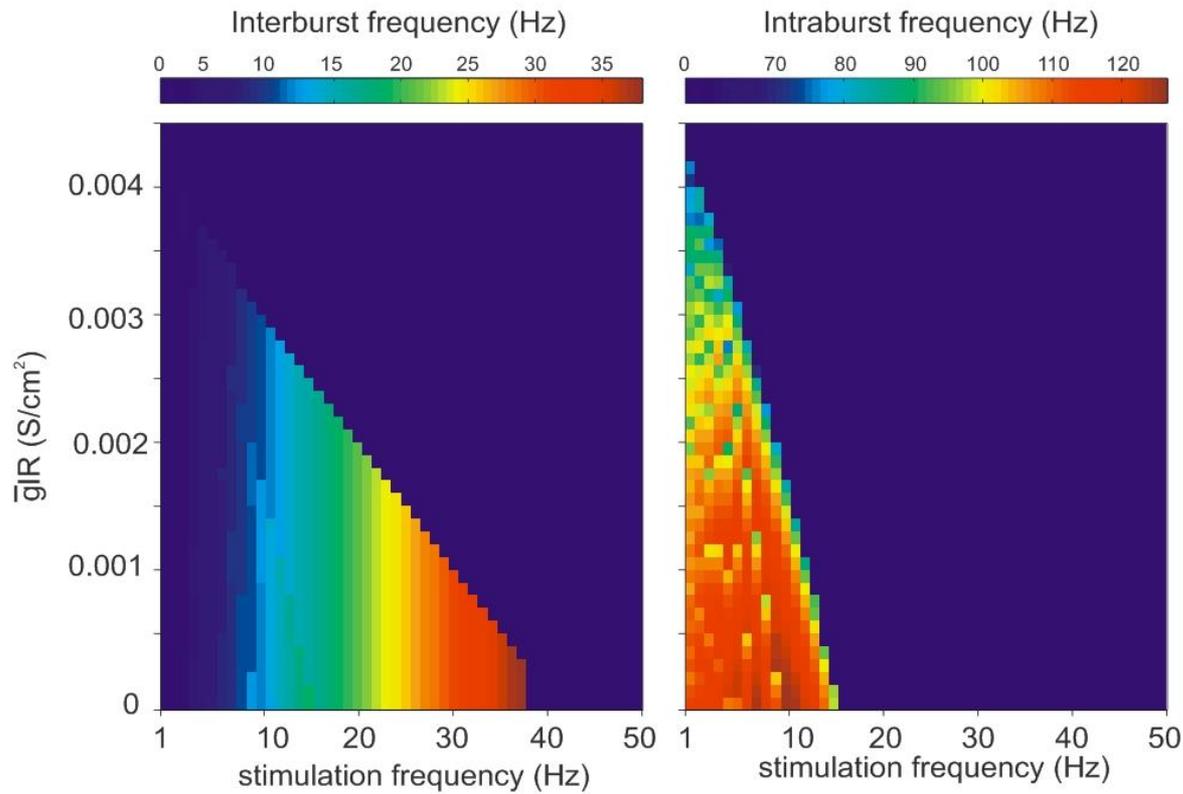
# How does firing rate vary with g<sub>IR</sub> for an **oscillatory** current clamp?



A neuron can code for a stimulus frequency by:  
(1) **intra**burst frequency  
(2) **inter**burst frequency

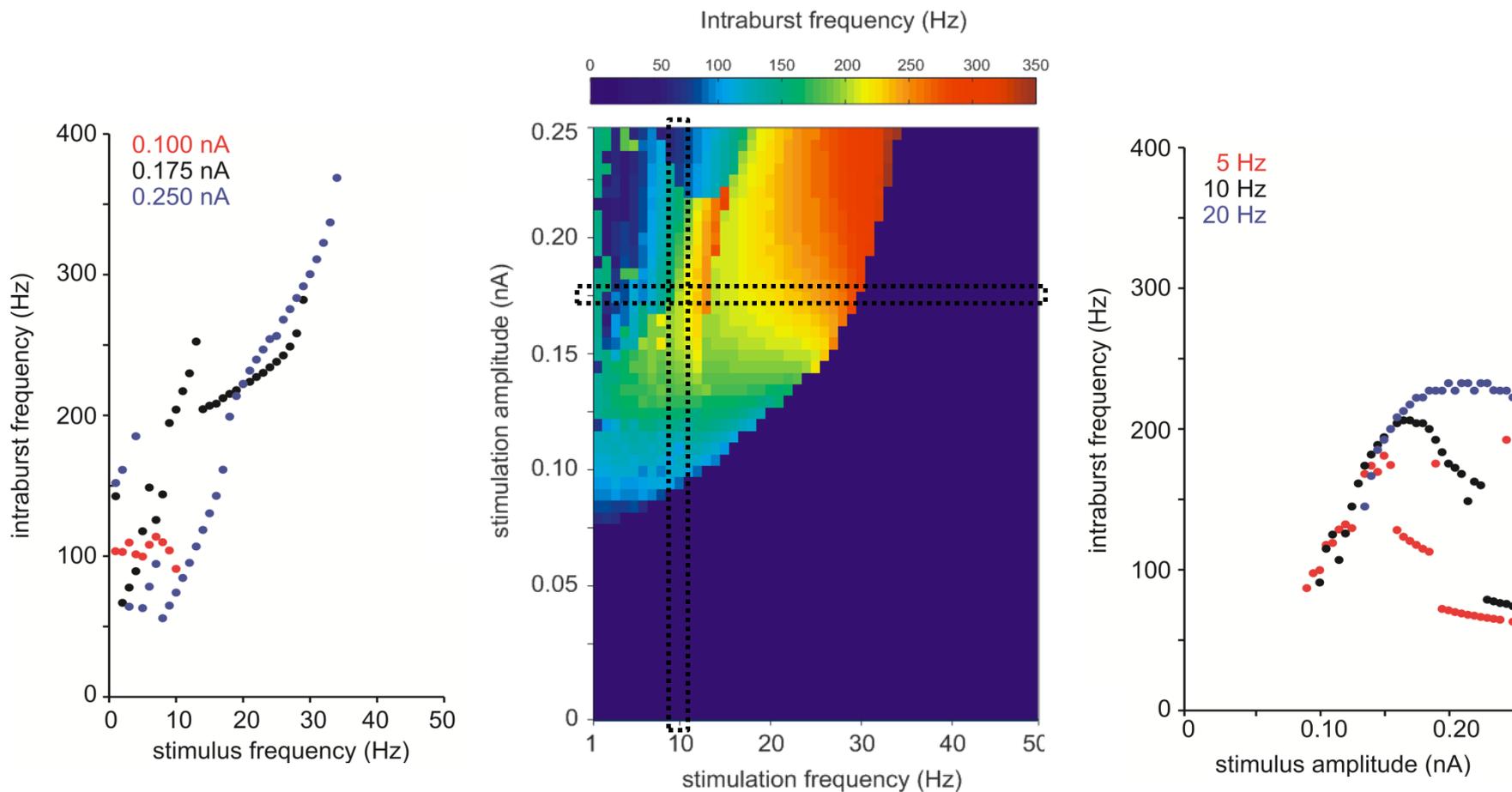
Cells with different  $\bar{g}_{IR}$ s respond with different intraburst frequencies.

# How does firing rate vary with gIR and stimulus frequency?



$\bar{g}_{IR}$  limits the range of frequencies to which a cell can respond

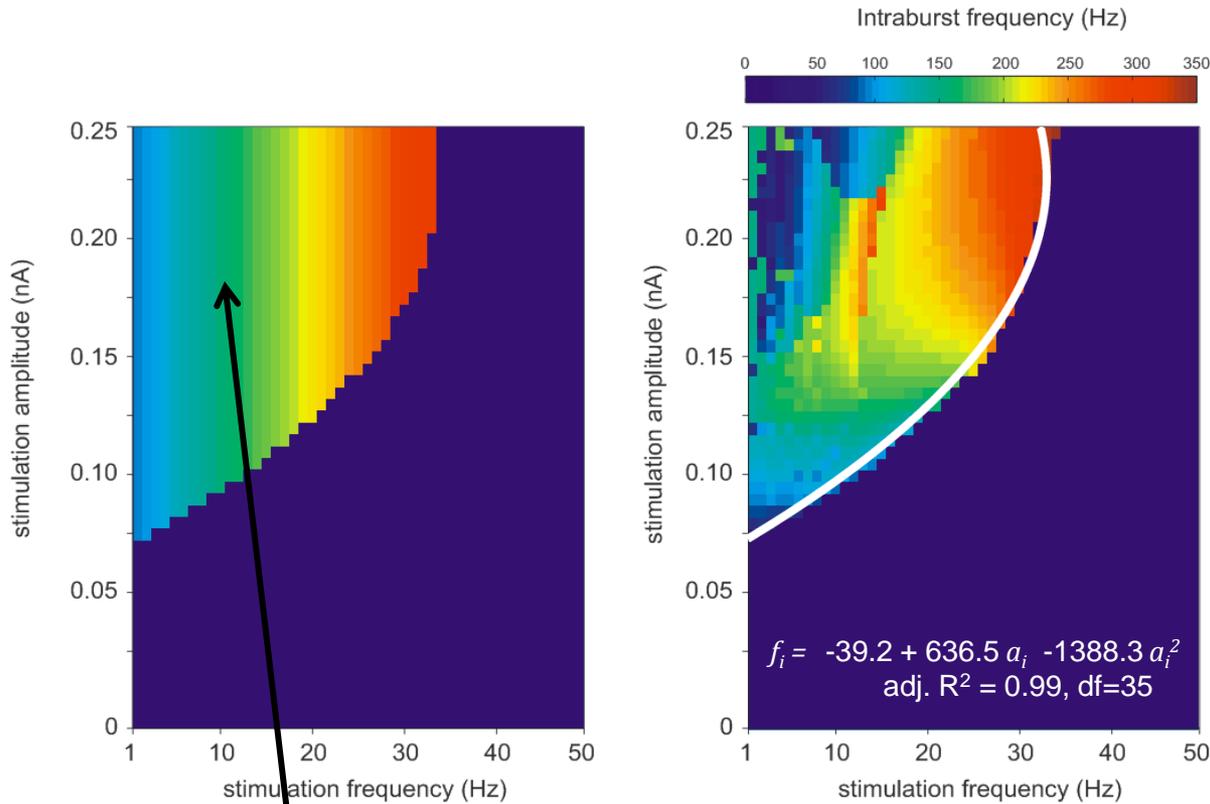
# Does the firing rate of a cell depend on stimulus amplitude?



Keeping amplitude the same, firing rate increases with stimulus frequency (to a limit)

The model cell is tuned to a specific amplitude of a given frequency.

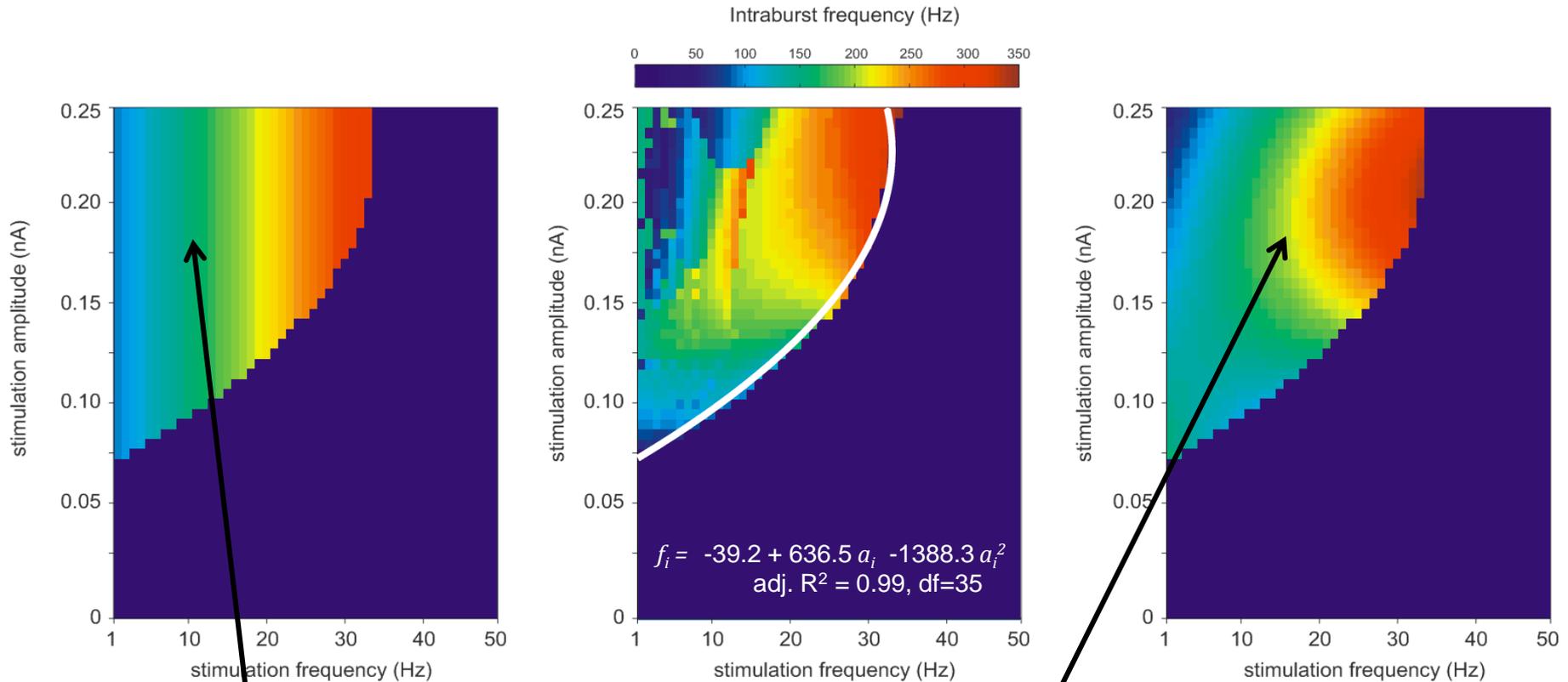
# Can a single hair cell neuron code for stimulus frequency?



$$r_i = \begin{matrix} \beta_1 & + & \beta_2 f_i \\ 88.3 & & 6.6 \\ (0.000) & & (0.000) \\ \text{adj. } R^2 = 0.72, \text{ df}=823 \end{matrix}$$

Knowing the burst rate of a cell, we can make a good of the stimulus frequency.

# Can a single hair cell neuron code for stimulus frequency? amplitude?



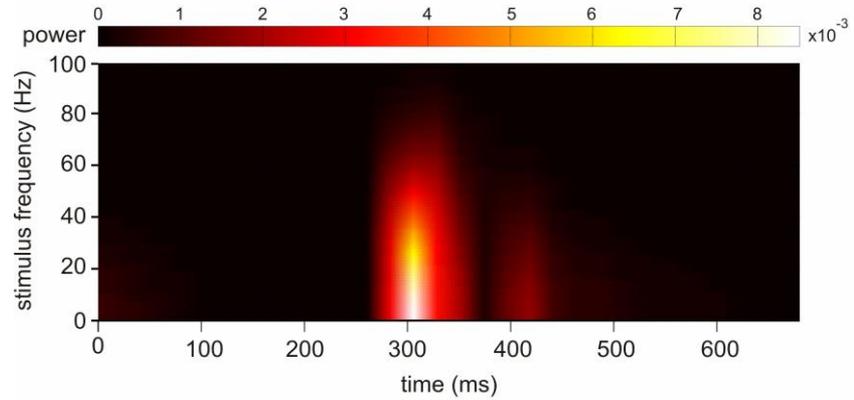
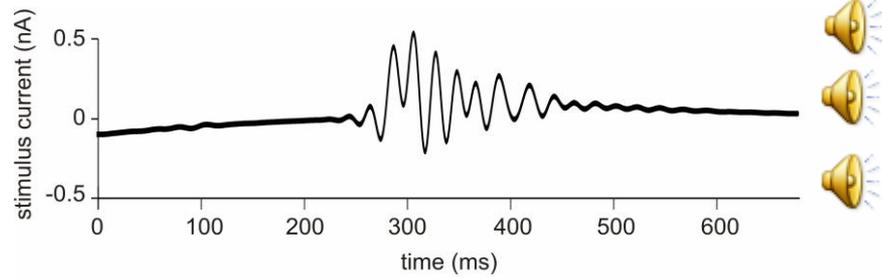
$$r_i = \begin{matrix} \beta_1 & + & \beta_2 f_i \\ 88.3 & & 6.6 \\ (0.000) & & (0.000) \\ \text{adj. } R^2 = 0.72, \text{ df}=823 \end{matrix}$$

$$r_i = \begin{matrix} \beta_1 & + & \beta_2 f_i & + & \beta_2 a_i & + & \beta_2 f_i a_i & + & \beta_2 f_i a_i^2 \\ 213.0 & -30.3 & -638.4 & 343.6 & -771.4 \\ (0.000) & (0.000) & (0.000) & (0.000) & (0.000) \\ \text{adj. } R^2 = 0.80, \text{ df}=823 \end{matrix}$$

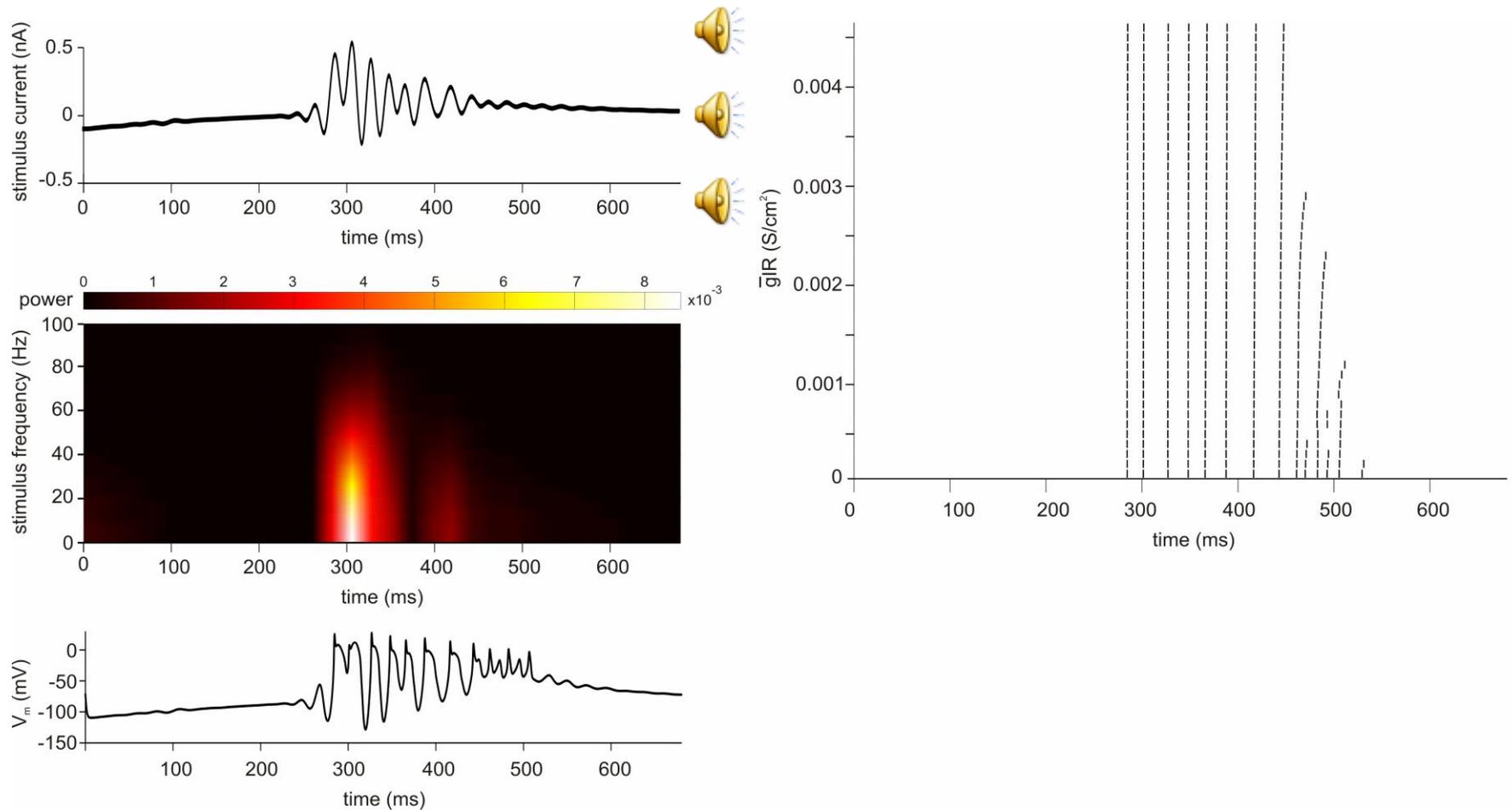
Knowing the burst rate of a cell, we can make a good of the stimulus frequency. Together, two cells can potentially code for both frequency and amplitude.

# How does the model respond to a complex stimulus?

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# How does the model respond to a complex stimulus?



**Intra**burst frequency cannot entirely encode this complex sound.  
How does variation of amplitude in time influence intraburst rate?

# Conclusions

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- Passive membrane and spiking properties of the model are a good match with experimental observations in hair cells.
  - Can differences in  $\text{Ca}^{2+}$  current be accounted for? Resistance?
- Model cells with greater gIR have lower firing rate responses
- Cells respond with different rates to different frequencies and amplitudes. We propose a function by which two cells can discern both the frequency and amplitude of a simple stimulus. Can this function be tested in vitro?
  - lateral inhibition, multiple afferent

We propose how a hair cell might respond to a complex stimulus

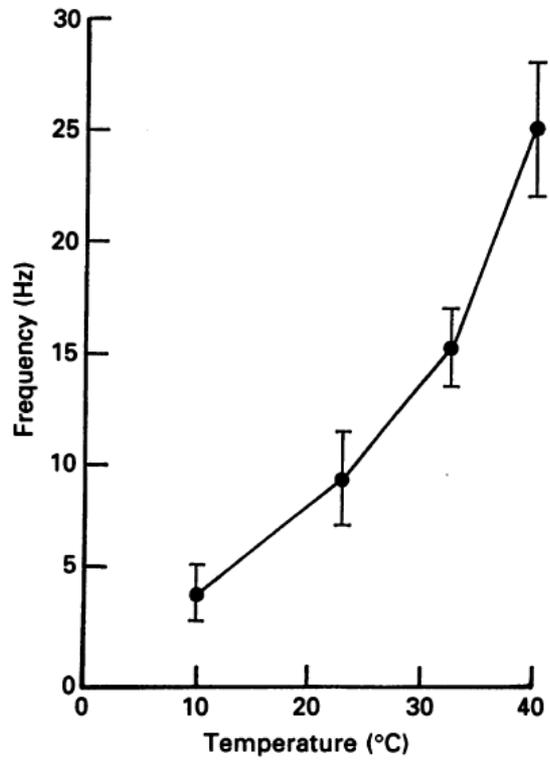
# Future Directions

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- Fine tune model to correct for  $\text{Ca}^{2+}$  current in input resistance...?
- How does the model respond to a sine wave with a dynamic amplitude?
  - knowing this, can we use firing rate to predict a complex sound?
- Can latency of spiking code for the phase of a sinusoidal stimulus?
- How does temperature influence the hair cell's firing rate profile?







(Fuchs and Evans, 1989)

